

Efficient Generation of C Code from CCSL

Baptiste Allorant

ENS de Lyon, INRIA Sophia-Antipolis
under the supervision of Frédéric Mallet and Sid Touati

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- └ Context and Motivation
- └ General Presentation of CCSL

Presentation of CCSL

```
1 Specification Example{
2   Clock a b c d e
3   [
4     Let A be a or b
5     Let B be A and c
6     Let C be B minus d
7     Let D be inf(A, B)
8     Let E be sup(A, B)
9
10    repeat F every 4 C
11    SubClocking e <- D
12    Precedence C < E
13    Precedence D <= E
14    Exclusion d # e
15  ]
16 }
```

Figure 1: LightCCSL Example

Semantic of CCSL

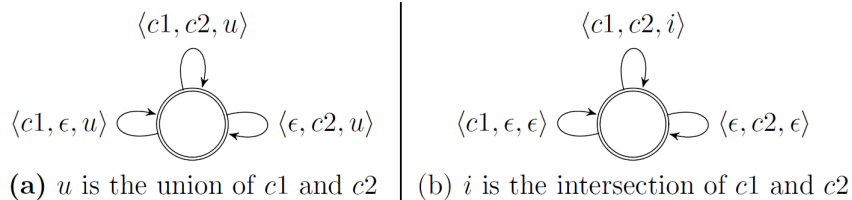


Figure 2: Union and Intersection of Clocks in CCSL

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The goal is to generate C code from a CCSL specification that will efficiently compute one solution to the specification.

- └ Determined Components
 - └ Definition

Looking for possible Precomputations

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Let C and D be a determined components.

Repeat a Every k b : $(a \in C \wedge b \in D) \rightarrow C = D$
a = Def(b, c) : $(b \in D \wedge c \in D) \rightarrow a \in D$

Figure 3: Clocks in Determined Components.

└ Representation of the Problem

└ Stateless Constraints

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 - Separation of A and $\neg A$.
- ▶ Union, Intersection, Minus.
 - No simple Implication translation.

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$$a = b \text{ or } c \Rightarrow$$
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$$\neg b \rightarrow a \rightarrow c$$
$$\neg c \rightarrow a \rightarrow b$$

Main Issue

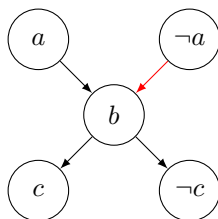


Figure 4: Main Issue

Issue from Union

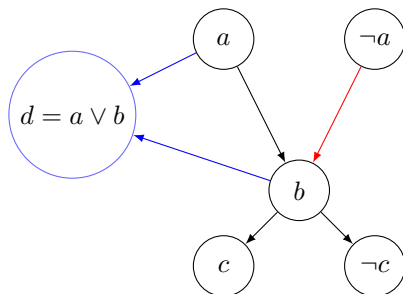


Figure 5: Union Issue

Issue from Minus

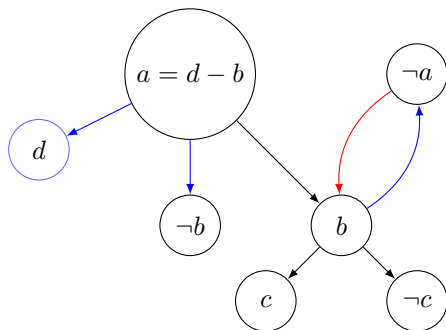


Figure 6: Minus Issue

└ Representation of the Problem

└ The Order Approach

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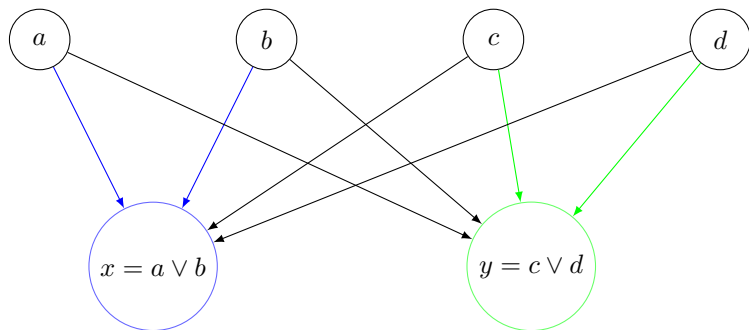


Figure 7: Order Counter-Example

The Backtrack Approach

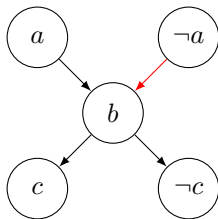


Figure 8: Basic Issue

The Backtrack Approach

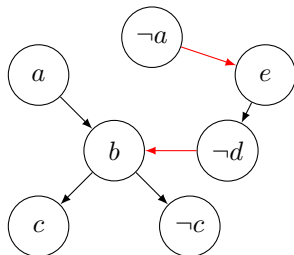


Figure 9: Backtrack Issue

Proof of NP-Completeness

Definition (Single-Step CCSL)

Let S be a CCSL specification, $n \in \mathbb{N}$, and T a valid schedule of S for the n first steps. Single-Step CCSL is defined as the problem of computing a valid $n + 1^{th}$ step.

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Proof.

Not detailed here.



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└ Smallest Possible Failure

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Works in practice, still to be formalised...

Idea of the Architecture

1. Each alone constraint (or determined component) produces its current stateless constraint.
2. The solver gets the constraints and gives back an array with the result.
3. Each constraints check the array and updates its state if needed.

Optimisation of the Generated Code

Optimisation of the code using:

- ▶ Many compilers and compilation options.
- ▶ Two profilers: gprof and IntelVsyncProfiler.

Initial Version

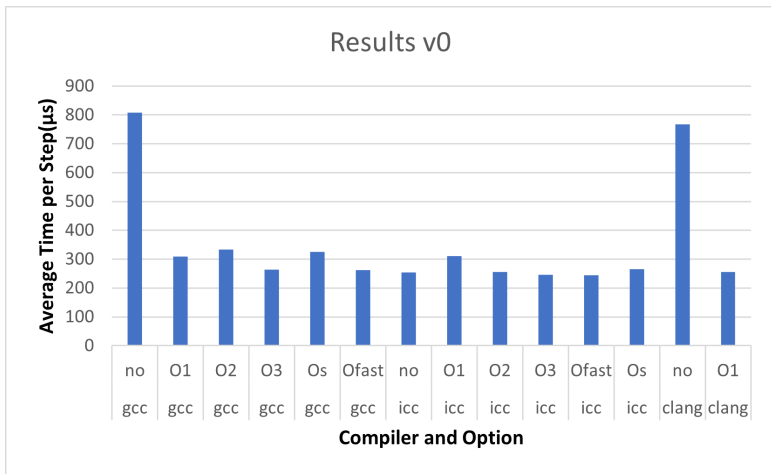


Figure 10: Performance of the Initial Code Generation

Final Version

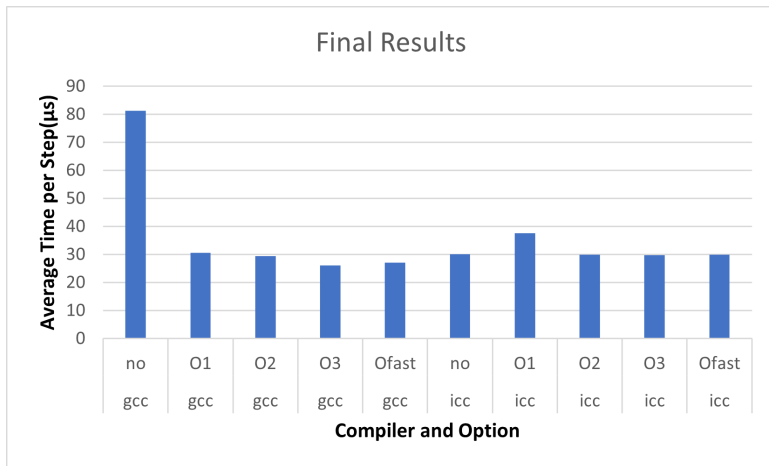


Figure 11: Performance of the Final Code Generation

Conclusion and Future Work

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 - Switch to LightC.

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- ▶ Some Performance Issues.
 - Need a wider evaluation campaign.
- ▶ Still correctness Issues.
 - Formalise the minimum failure approach.
 - Switch to LightC.
 - Deal with dead-ends.

Thank you very much for your attention.